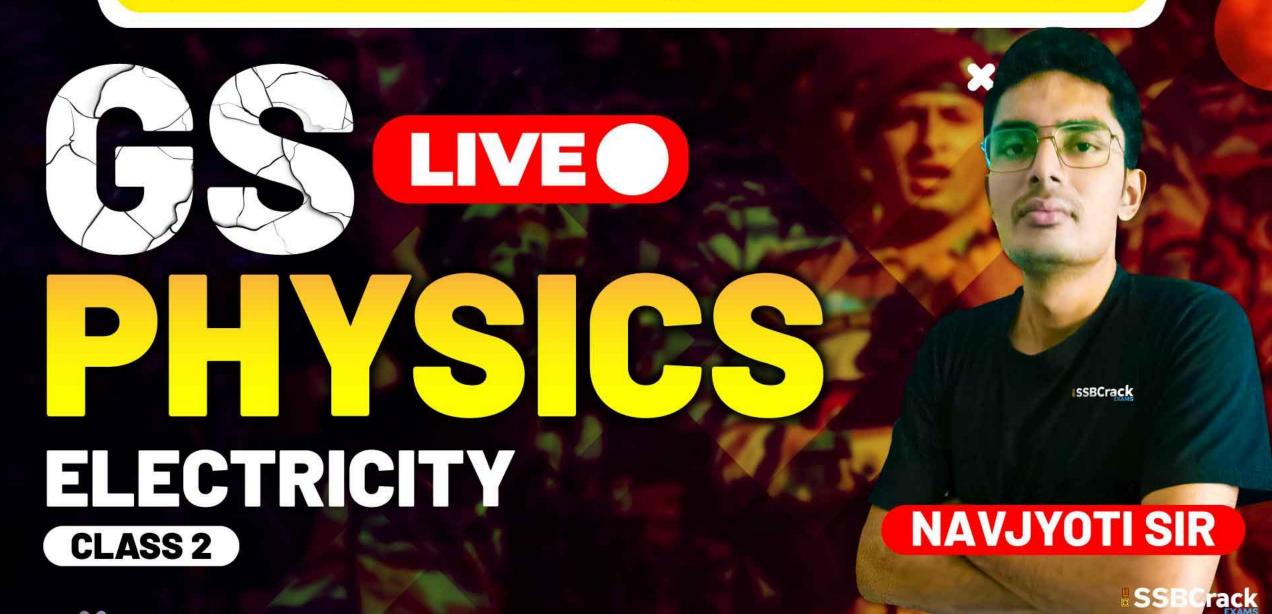
# **NDA-CDS 1 2025**





# **ELECTRICITY - II**

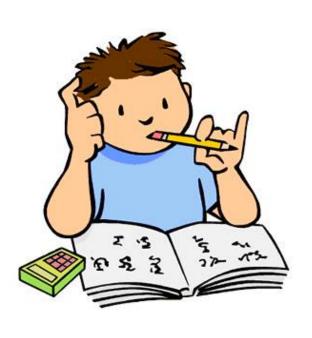
(Current Electricity)
(charges are in motion)





# WHAT WILL WE STUDY?

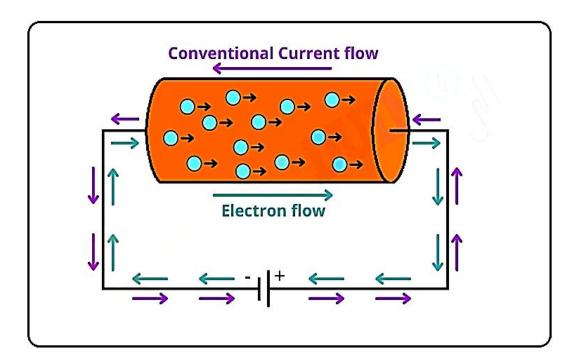
- Electric Current
- Ohm's Law
- Resistance and Resistivity
- Combination of Resistors
- Kirchoff's Laws
- Cells and Internal Resistance
- Combination of Cells
- Electrical Energy and Power ✓
- Heating Effect of Electric Current
- Domestic Electric Circuit





# **ELECTRIC CURRENT**

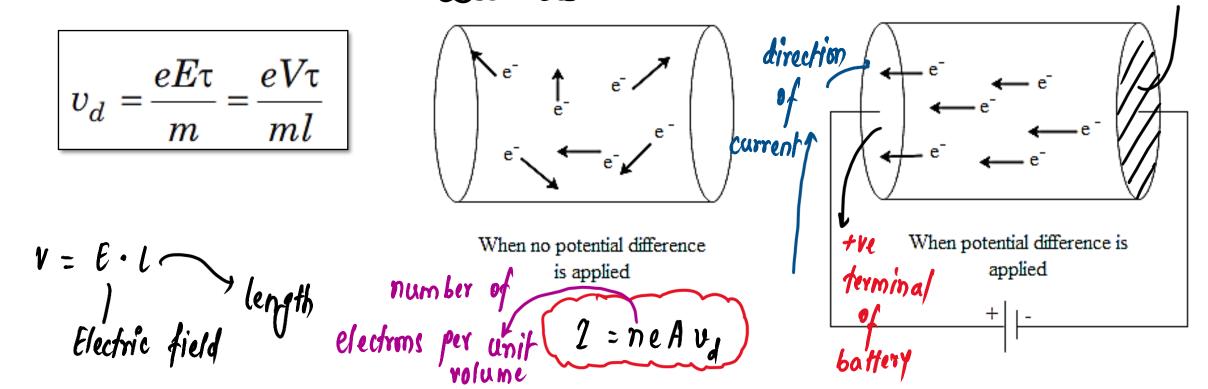
 The conventional direction of electric current is opposite to the direction of motion of electrons.





# **DRIFT VELOCITY**

When a potential difference is applied across the ends of a conductor, the free electrons in it move with an average velocity opposite to the direction of electric field, which is called drift velocity of free electrons.





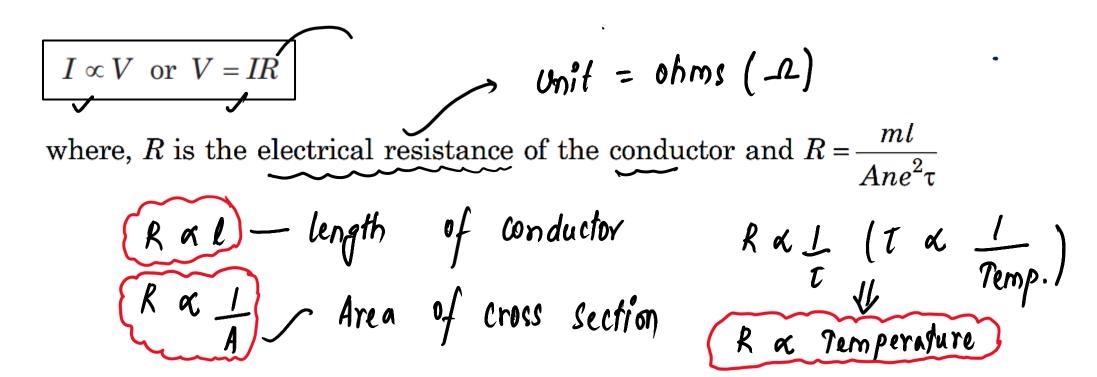
$$v_d = \underbrace{e \in \tau}_{m}$$

$$v_d = e\left(\frac{v}{l}\right) \times \frac{t}{m} = \frac{evt}{ml}$$
 l- length of conductor



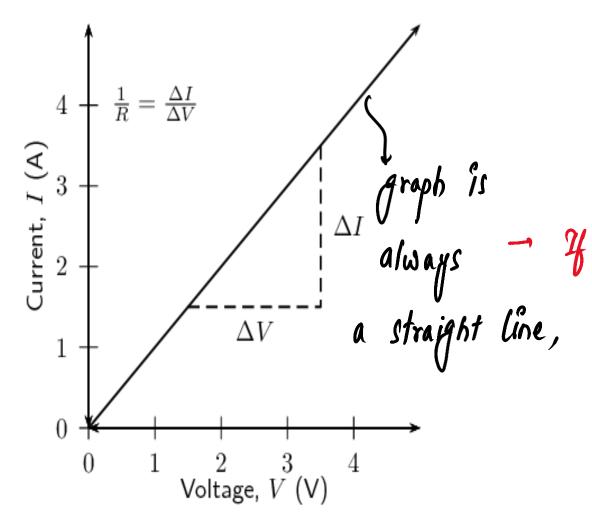
# OHM's LAW

• If physical conditions of a conductor such as temperature remains unchanged, then the electric current (I) flowing through the conductor is directly proportional to the potential difference (V) applied across its ends.





# **OHM's LAW**



$$V = IR$$

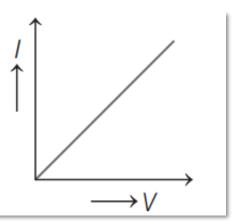
$$\frac{1}{V} = \frac{1}{R}$$
The graph is  $V = V / S = 1$ ,



## **OHMIC CONDUCTORS**

Those conductors which obey Ohm's law, are called ohmic conductors, *e.g.* all metallic conductors are ohmic conductor.

For ohmic conductors *V-I* graph is a straight line.

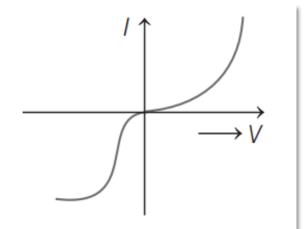




# **NON-OHMIC CONDUCTORS**

Those conductors which do not obey Ohm's law, are called non-ohmic conductors, *e.g.* diode valve, triode valve, transistor, vacuum tubes etc.

For non-ohmic conductors V-I graph is not a straight line.





# **RESISTANCE**

 The obstruction offered by any conductor in the path of flow of current is called its electrical resistance.

Electrical resistance of a conductor,  $R = \frac{\rho l}{A}$ 

where, l = length of the conductor, A = cross-section area and  $\rho = resistivity$  of the material of the conductor.

Unit = 
$$0 hms(-2)$$

$$R = \frac{ml}{Ame^{2}t}$$

$$Constant for a$$

$$Conductor$$

$$p = \frac{m}{ne^{2}t}$$



# RESISTIVITY (specific Resistance)

Resistivity of a material of a conductor is given by

$$\rho = \frac{m}{ne^2\tau}$$

Resistivity is low for metals, more for semiconductors and very high for alloys like nichrome, constantan etc.

$$\begin{array}{cccc}
f & \alpha & \perp & (T & \alpha & \perp & \Rightarrow & f & \alpha & \text{Temperature} \\
f & \rightarrow & \text{nature} & \text{of material} & & & & & & & \\
\end{array}$$

$$\begin{array}{cccc}
\text{maneanin} & & \Rightarrow & f & \alpha & \text{Temperature} & R = P \frac{L}{A} \\
\text{Unit} & \rightarrow & \frac{-Q & m^2}{M} & f = R \frac{A}{A} \\
& \Rightarrow & = (-Q & m) & \text{Ohm} - m
\end{array}$$



Conductance, 
$$G = 1$$
  
Resistance

conductivity, 
$$K(kappa) = \frac{1}{Resistivity}$$

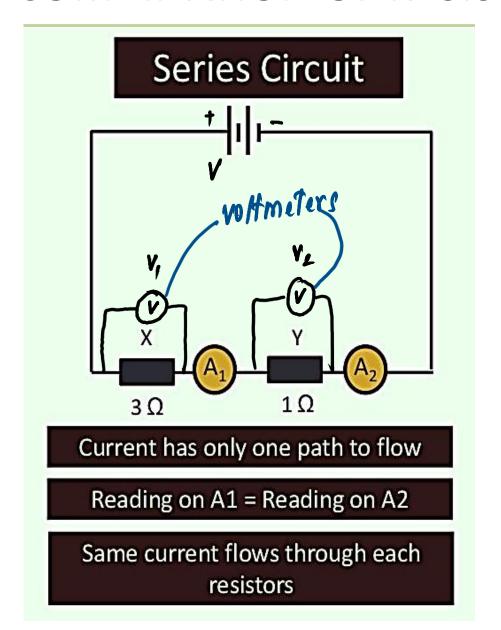


# **RESISTIVITY**

•



# **COMBINATION OF RESISTORS**



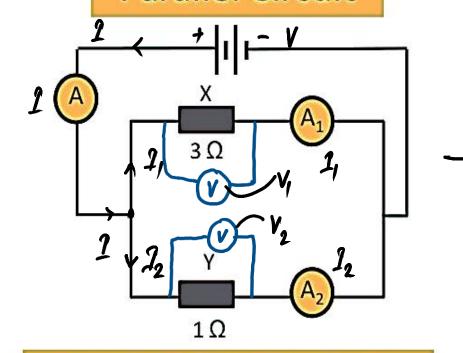
```
and y are resistors,
              (derice to find value of current).
- current remains the same through
     x and y.
```



# **COMBINATION OF RESISTORS**

# Parallel Circuit

$$I = I_1 + I_2$$



current gets divided

V = V, = V2 (vo Hage remains the same)

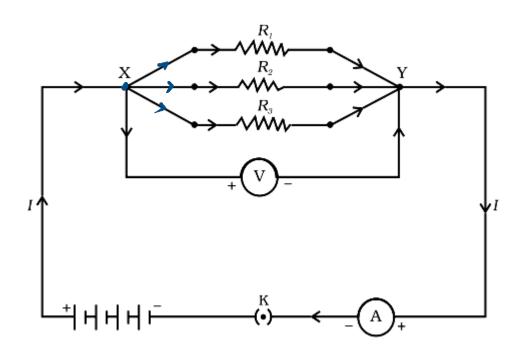
Current splits into different paths 🗸

Reading on A = Reading on A1 + A2 <

Main current is shared between the two resistors



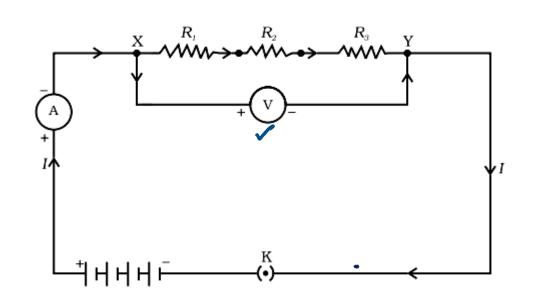
# **COMBINATION OF RESISTORS**



$$\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

$$\left( \begin{array}{ccc} parallel & connection \\ \hline \\ for 2 & resistors & parallel \\ \hline \\ \hline \\ R_1 + R_2 \end{array} \right)$$

$$R = \frac{R_1 R_2}{R_1 + R_2}$$



$$R = R_1 + R_2 + R_3$$
(Series connection)

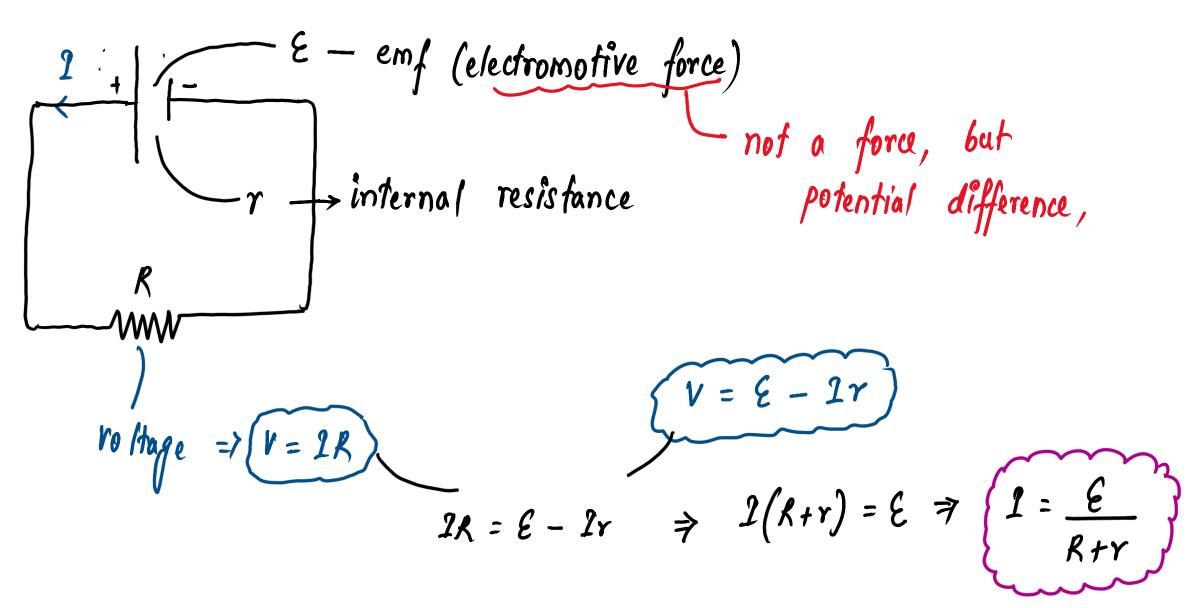
$$R = \frac{R_1 R_2}{R_1 + R_2}$$



(2) parallel connection, 
$$\frac{1}{Req} = \frac{1}{R} + \frac{1}{R} + \frac{1}{R} + \dots + \frac{1}{R} + \dots + \frac{1}{R} + \dots + \frac{1}{R} = \frac{1}{R} \Rightarrow \begin{cases} Req = \frac{R}{N} \text{ (parallel)} \\ \frac{1}{Req} = \frac{1}{N} \left( \frac{1}{R} \right) = \frac{N}{R} \Rightarrow \begin{cases} Req = \frac{R}{N} \text{ (parallel)} \end{cases}$$

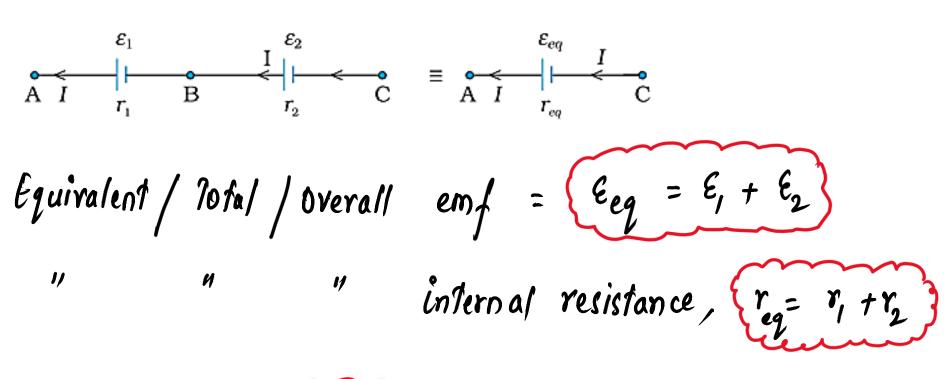


# **CELLS AND INTERNAL RESISTANCE**





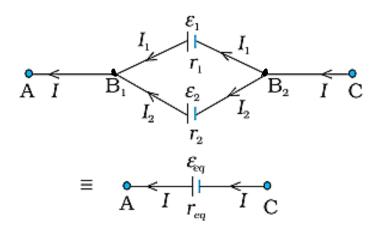
# **CELLS – SERIES CONNECTION**



$$v = \varepsilon_{eq} - 1 \gamma_{eq}$$



# **CELLS – PARALLEL CONNECTION**



$$\frac{1}{r_{eq}} = \frac{1}{r_1} + \dots + \frac{1}{r_n}$$

$$\frac{\varepsilon_{eq}}{r_{eq}} = \frac{\varepsilon_1}{r_1} + \dots + \frac{\varepsilon_n}{r_n}$$

$$\varepsilon_{eq} = \left(\frac{\varepsilon_1}{r_1} + \frac{\varepsilon_2}{r_2} + \dots - \frac{\varepsilon_n}{r_n}\right) r_{eq}$$

$$\varepsilon_{eq} = \left(\frac{\varepsilon_1}{r_1} + \frac{\varepsilon_2}{r_2} + \frac{\varepsilon_3}{r_3} + \dots + \frac{\varepsilon_n}{r_n}\right)$$

$$\frac{1}{r_{eq}}$$



$$\frac{1}{r_{eq}} = \frac{1}{r_1} + \frac{1}{r_2} + ---$$

$$\frac{\mathcal{E}_{eq}}{\frac{1}{r_1}} = \frac{\mathcal{E}_1}{\frac{\mathcal{E}_2}{r_1}} + \frac{\mathcal{E}_2}{r_2} + \cdots + \frac{\mathcal{E}_n}{r_n} = \underbrace{\frac{\mathcal{E}_1}{r_1} + \frac{\mathcal{E}_2}{r_2} + \cdots + \frac{\mathcal{E}_n}{r_n}}_{\frac{1}{r_1}} + \frac{\mathcal{E}_2}{r_2} + \cdots + \frac{\mathcal{E}_n}{r_n}}_{\frac{1}{r_1}} + \frac{\mathcal{E}_2}{r_2} + \cdots + \frac{\mathcal{E}_n}{r_n}}_{\frac{1}{r_1}}$$

for two cells, 
$$\frac{c_1}{r_1} + \frac{c_2}{r_2}$$

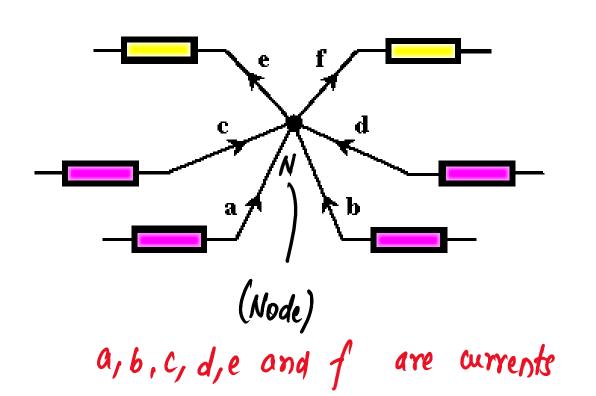
$$\frac{1}{r_1} + \frac{1}{r_2}$$



# KIRCHOFF'S LAWS

**Junction Rule** The algebraic sum of all currents meeting at a junction in a closed circuit is zero, *i.e.*  $\Sigma I = 0$ .

This law follows law of conservation of charge.



current coming towards 
$$N \rightarrow \oplus$$

going from

 $(+a) + (+c) + (-e) + (-f) + (+d) + (+b) = 0$ 
 $a+c-e-f+d+b=e+f$ 



currents coming in currents from out
$$\begin{cases}
2 & \text{fin} = 2 \\
2 & \text{out}
\end{cases}$$

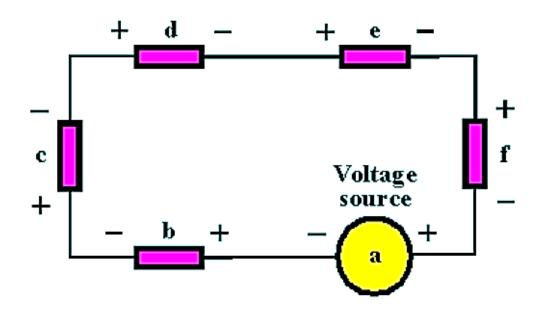


# KIRCHOFF'S LAWS

**Loop Rule** The algebraic sum of all the potential differences in any closed circuit is zero, *i.e.* 

$$\Sigma \Delta V = 0$$

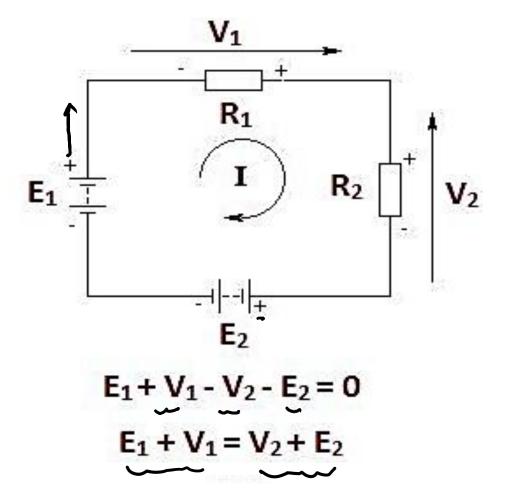
This law follows law of conservation of energy.



$$a + b + c + d + e + f = 0$$



# **KIRCHOFF'S LAWS**





# **ELECTRIC ENERGY**

The energy supplied by any source in maintaining the current in the electric circuit is called electric energy consumed by the electric circuit.

Potential diff. = Nork done (N) current, 
$$I = 9$$
 (Charge)  
(v) Charge (9)  $g = 1t$ 

$$W = V\theta$$

$$W = V1t$$

$$\Rightarrow \text{ Electrical Greeny = V1t}$$



# **ELECTRIC POWER**

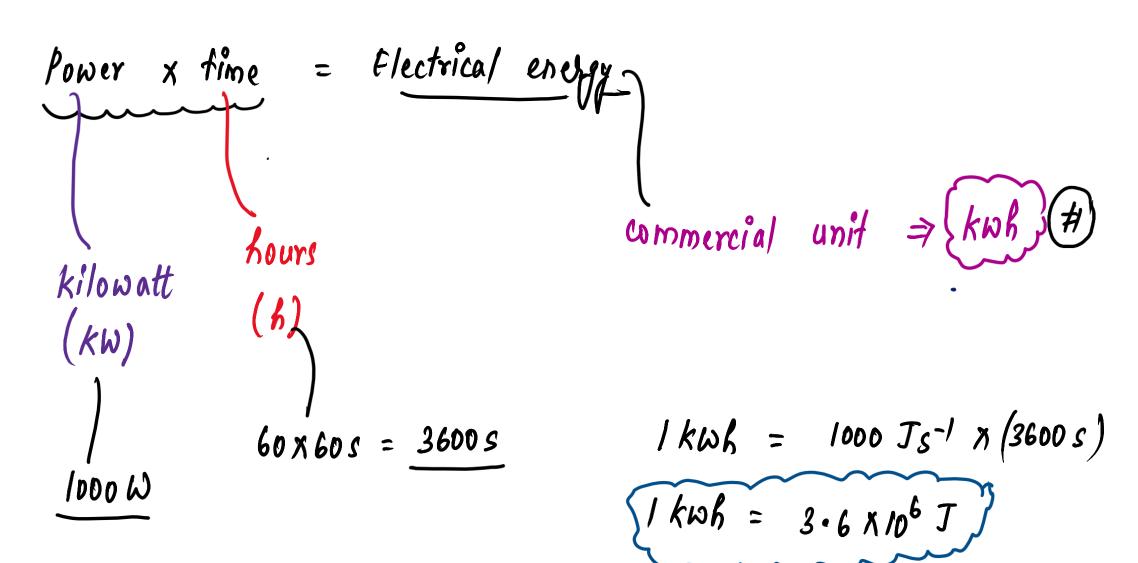


$$\begin{cases} P = (2R)1 = 2^{2}R \end{cases} \text{ (series connections)}$$

$$P = V\left(\frac{V}{R}\right) = \frac{V^{2}}{R} \text{ (parallel connections)}$$

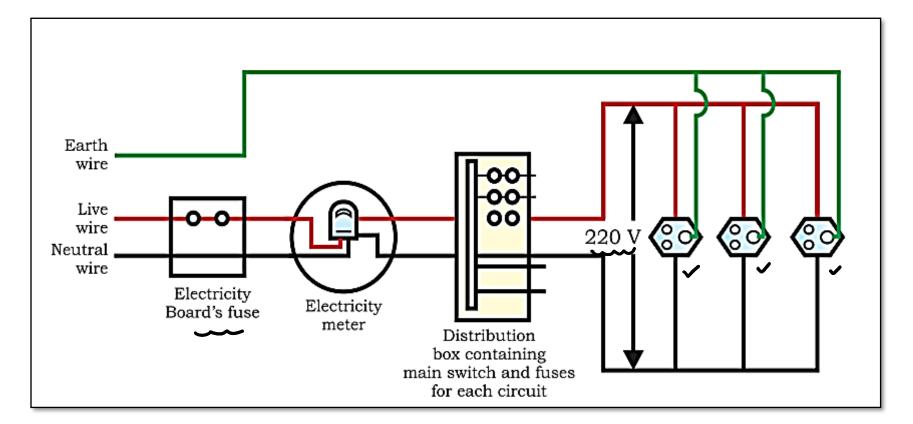


# ELECTRIC ENERGY – COMMERCIAL UNIT



#### **SSBCrack**

#### DOMESTIC ELECTRIC CIRCUITS



One of the wires in this supply, usually with red insulation cover, is called <u>live</u>
 wire (or positive). Another wire, with black insulation, is called <u>Neutral wire</u>
 (or negative). The potential difference between the two is 220 V.



#### DOMESTIC ELECTRIC CIRCUITS

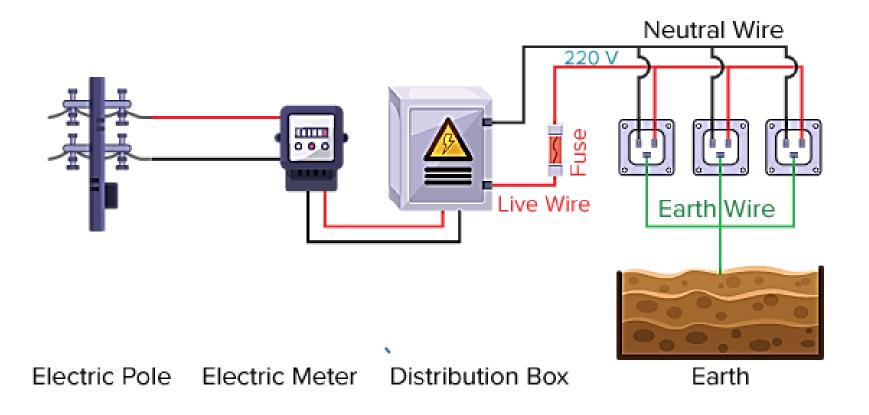
• The <u>Earth wire</u>, which has insulation of green colour, is <u>usually connected to a metal plate</u> deep in the earth near the house. This is used as a <u>safety measure</u>, especially for those appliances that have a metallic body, for example, electric press, toaster, table fan, refrigerator, etc.

(Lightning conductor)

The metallic body is connected to the earth wire, which provides a <u>low-resistance</u> conducting path for the current. Thus, it ensures that any leakage of current to the metallic body of the appliance keeps its potential to that of the earth, and the <u>user may not get a severe electric shock.</u>



#### **DOMESTIC ELECTRIC CIRCUITS**





# **HEATING EFFECT**

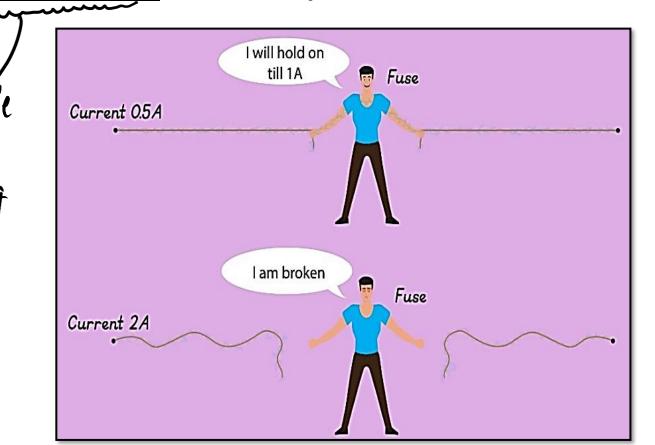
Heat generated by electric current,  $H = 1^2 Rt$ current time for which current was hesistanu flowing,



# **FUSE**

The use of an electric fuse prevents the electric circuit and the appliance from a
possible damage by stopping the flow of unduly high electric current.

• The Joule heating that takes place in the fuse melts it to break the electric circuit.



Short - circuit situation,

#### **SSBCrack**

# **SUMMARY**

- Electric Current
- Ohm's Law
- Resistance and Resistivity
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- Combination of Cells
- Electrical Energy and Power
- Heating Effect of Electric Current
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